

# Electron collision studies on the CH<sub>2</sub><sup>+</sup> molecular ion

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## Abstract

Calculations are performed for electron collision with the methylene molecular ion CH<sub>2</sub><sup>+</sup> in its bent equilibrium geometry, with the goal of obtaining cross sections for electron impact excitation and dissociation. The polyatomic version of the UK molecular *R*-matrix codes was used to perform an initial configuration-interaction calculation on the doublet and quartet states of the CH<sub>2</sub><sup>+</sup> ion. Subsequently, scattering calculations are performed to obtain electron impact electronic excitation and dissociation cross sections and, additionally, the bound states of the CH<sub>2</sub> molecule and Feshbach resonances in the *e*-CH<sub>2</sub><sup>+</sup> system.

Keywords: hydrocarbons, electron impact excitation, electron impact dissociation, resonances, methylene, *R*-matrix

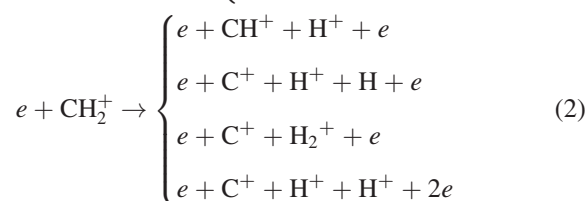
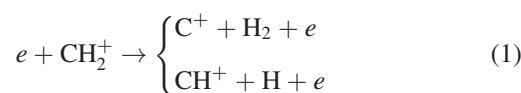
Supplementary material for this article is available [online](#)

(Some figures may appear in colour only in the online journal)

## 1. Introduction

Many low temperature plasma environments have hydrocarbon molecular ions as important constituents. Collision of electrons with molecules and their ions in these environments are important processes that play a fundamental role in initiating chemistry, particle balance and transport. For example, although the present tendency in the magnetically controlled International Thermonuclear Fusion Reactor type fusion devices is to coat the reactor walls with beryllium or tungsten, hydrocarbon ions, in particular the methylene ion CH<sub>2</sub><sup>+</sup>, are found in the edge and divertor plasmas of fusion devices which operate with graphite as plasma facing

material (McLean *et al* 2005). Another important context is that of the dusty plasmas, the CH<sub>2</sub> and CH<sub>2</sub><sup>+</sup> being species involved in the chain of reactions resulting in the growths of the nano and micro-particles. In these situations, the cross sections for different electron induced process are necessary to model the plasma flow (see for example Reiter and Janev (2010)), in particular electron impact dissociation and dissociative ionisation:



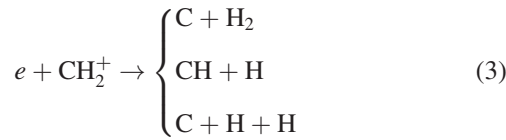
These processes, leading to the destruction of the CH<sub>2</sub><sup>+</sup> ions and to the C atom production (Janev and Reiter 2002a, Janev

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and Reiter 2002b), are highly significant for understanding the carbon redeposition.

In the interstellar medium (ISM),  $\text{CH}_2^+$  ions are synthesised in gas phase by collision of  $\text{C}^+$  ions with hydrogen (Wakelam *et al* 2010) and through hydrogen abstraction by  $\text{CH}^+$ . On the other hand,  $\text{CH}_2^+$  ions can be removed by reactions such as (1) and (2) and by dissociative recombination (DR),



which is known to proceed via Feshbach resonances (Larson *et al* 1998).

There is a considerable literature on  $\text{CH}_y^+$  hydrocarbon ions, and  $\text{CH}_2^+$  ions in particular, in the context of synthesis of hydrocarbons in the ISM (van Dishoeck *et al* 1996, van Dishoeck *et al* 2006, Wakelam *et al* 2010, Puglisi *et al* 2018, IdBarkach *et al* 2019). Significant work on  $\text{CH}_y^+$  hydrocarbon ions have also been done relevant to plasmas for fusion (Janev and Reiter 2002a, Janev and Reiter 2002b, Vane *et al* 2007, Lecointre *et al* 2009, Reiter and Janev 2010). These works mainly focus on different electron impact cross sections relevant for plasma modeling.

Molecular structure calculations on  $\text{CH}_2^+$  have been reported by several authors (Tennyson and Sutcliffe 1983, Theodorakopoulos and Petsalakis 1991, Kraemer *et al* 1994, Li *et al* 2015, Guo *et al* 2018, Ma *et al* 2021). Theodorakopoulos and Petsalakis (1991) obtained bending potential energy curves and vertical excitation energies (VEEs) of  $\text{CH}_2^+$  for its bent  $C_{2v}$  and its linear  $D_{\infty h}$  configurations. Accurate global potential energy surfaces (PES) were reported by Li *et al* (2015) and Guo *et al* (2018). Apart from these, there are also many spectroscopic studies on the rovibrational states of  $\text{CH}_2^+$  (Rösslein *et al* 1992, Bunker *et al* 2001, Jensen *et al* 2002, Willitsch and Merkt 2003, Wang *et al* 2013).

In a number of earlier studies (Chakrabarti *et al* 2017, Chakrabarti *et al* 2018, Chakrabarti *et al* 2019, Ghosh *et al* 2020) we have studied electron collision with the CH molecule and its positive ion  $\text{CH}^+$  in considerable detail. In these works, we not only computed cross sections for different electronic processes, but also identified many new neutral valence states of CH that are relevant for the DR. The present article aims to continue and extend our work to more complex hydrocarbon ions.

## 2. R-matrix calculations

### 2.1. R-matrix method

The R-matrix method, described in detail by Tennyson (2010) and Burke (2011), and its implementation in the polyatomic version of the UK molecular R-matrix codes (UKRmol) (Carr *et al* 2012) is used in the present work. The method employs a division of space into an inner region, a sphere of radius  $a$  (chosen to be  $10a_0$  in this work) called the R-matrix sphere

whose purpose is to include within it all short range interactions, and an outer region exterior to this sphere which contains all the long range interactions. This division allows the treatment of the short range and, the more complicated, long range interactions separately using different techniques (Tennyson 2010).

In the inner region, the wave function of the target (here  $\text{CH}_2^+$ ) and a single continuum electron, together having  $N + 1$  electrons, is taken as

$$\Psi_k = \mathcal{A} \sum_{i,j} a_{i,j,k} \Phi_i(1, \dots, N) F_{i,j}(N + 1) + \sum_i b_{i,k} \chi_i(1, \dots, N + 1), \quad (4)$$

where  $\mathcal{A}$  is an antisymmetrisation operator,  $\Phi_i(1, \dots, N)$  is the wave function of the  $N$  electron target and  $F_{i,j}(N + 1)$  are continuum orbitals. The functions  $\chi_i(1, \dots, N + 1)$  in the last term are square integrable functions, called  $L^2$  functions, are constructed by allowing the projectile electron to enter the target complete active space (CAS) and are included to take into account electron correlations and polarization of the target in presence of the projectile electrons. The coefficients  $a_{i,j,k}$  and  $b_{i,k}$  are obtained by diagonalizing the inner region Hamiltonian (Tennyson 1996).

The inner region wave function  $\Psi_k$  is then used with appropriate boundary conditions to obtain scattering information, the details of which are given in the following subsections.

### 2.2. Target calculations

We used the cc-pVTZ Gaussian basis sets (Pritchard *et al* 2019) centered on the C and H atoms to represent the target orbitals. These not only gave reasonably good target VEEs but also allows the inner region calculation to remain manageable with respect to computational resources.

The  $X^2A_1$  ground state of  $\text{CH}_2^+$  is known to be bent in  $C_{2v}$  symmetry and has the electronic configuration  $(1a_1)^2(2a_1)^2(1b_2)^2(3a_1)^1$  (Pople and Curtiss 1987, Graber *et al* 1993). In this work all calculations are reported at the equilibrium C–H bond length  $2.066a_0$  and the H–C–H bond angle  $140.1^\circ$  taken from Theodorakopoulos and Petsalakis (1991), which are very close to those obtained by more sophisticated coupled cluster calculations using large basis sets (Brinkmann *et al* 2002). An initial Hartree–Fock (HF) calculation was first performed on the  $X^2A_1$  ground state of  $\text{CH}_2^+$ . The HF orbitals were then used in a configuration interaction (CI) calculation.

We considered two target models. In both models we kept two electrons frozen in the  $1a_1$  orbitals while the remaining five electrons were distributed in the CAS. In the first model (M1), the CAS was defined by  $(1a_1-6a_1, 1b_1-4b_1, 1b_2-4b_2)$ , while in the second (M2) the CAS was chosen to be bigger with an additional  $1a_2$  orbital, namely  $(1a_1-8a_1, 1b_1-5b_1, 1b_2-5b_2, 1a_2)$ . Table 1 shows the comparison of the VEEs from the  $X^2A_1$  ground state of  $\text{CH}_2^+$  to the first 12 low lying excited states. Although the second model M2 appears to produce VEEs slightly in better agreement with the theoretical results of Theodorakopoulos

**Table 1.** Comparison of the VEEs (in eV) from the  $X^2A_1$  ground state to 12 low lying excited states of  $CH_2^+$  for different target models. The target models used are the following:M1:  $(1a_1)^2(1a_1-6a_1, 1b_1-4b_1, 1b_2-4b_2)^5$ M2:  $(1a_1)^2(1a_1-8a_1, 1b_1-5b_1, 1b_2-5b_2, 1a_2)^5$ 

Target state	M1	M2	Theory <sup>a</sup>	Theory <sup>b</sup>
$X^2A_1$	0 <sup>c</sup>	0 <sup>d</sup>	0 <sup>e</sup>	0
$1^2B_1$	0.92	0.81	0.84	0.83
$1^4A_2$	5.24	5.07		
$1^2A_2$	6.93	6.81	6.81	6.92
$1^2B_2$	7.46	7.36	7.60	7.8
$2^2A_2$	7.88	7.60	7.25	7.26
$1^4B_1$	9.73	9.58		
$2^2B_2$	9.48	9.17	9.25	9.6
$2^2A_1$	11.17	10.50	10.44	11.1
$3^2A_1$	13.52	13.04	12.81	
$2^2B_1$	13.47	13.21	13.14	13.9
$4^2A_1$	14.89	14.76	13.40	
$3^2B_2$	13.22	13.23	13.53	

<sup>a</sup>Theodorakopoulos and Petsalakis (1991).<sup>b</sup>Osmann *et al* (1999).<sup>c</sup>Absolute energy  $-38.613\,069\,04$  Hartree.<sup>d</sup>Absolute energy  $-38.637\,545\,16$  Hartree.<sup>e</sup>Absolute energy  $-38.705\,744$  Hartree.

and Petsalakis (1991) and Osmann *et al* (1999), calculations with this model required much longer time compared to the model M1. We therefore chose the model M1 for subsequent calculations as it was computationally more efficient.

From table 1, we see that apart from the VEE of the  $4^2A_1$  state, which appears too high compared to Theodorakopoulos and Petsalakis (1991), all other VEEs obtained by the target model M1 are in reasonably good agreement with the results of Theodorakopoulos and Petsalakis (1991) and Osmann *et al* (1999). Moreover, our dipole moment for the  $CH_2^+$  ground state with model M1 is 0.701 D which compares perfectly with the value 0.701 D obtained by Brinkmann *et al* (2002) using coupled cluster calculation. The model M1 therefore provides a good description of the target for subsequent scattering calculations.

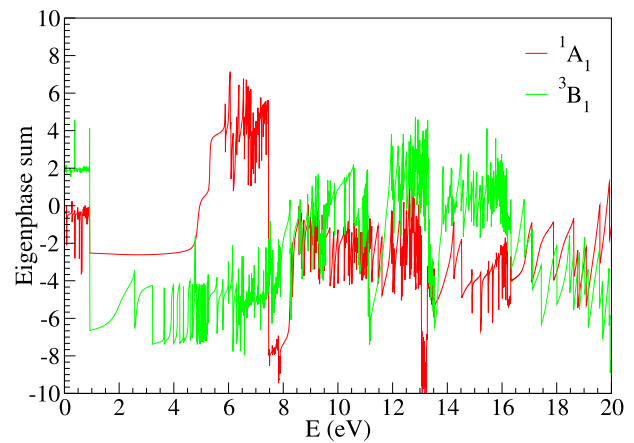
### 2.3. Scattering calculations

For the scattering calculations, we used  $8a_1, 6b_1, 6b_2$  and  $2a_2$  target orbitals allowing two virtual orbitals for each symmetry. Since the target  $CH_2^+$  is a positive ion, the continuum functions were represented by Coulomb functions which were obtained as a solution of the radial Coulomb equation for an isotropic Coulomb potential, and the solutions with  $l \leq 4$ , and energy eigenvalue  $\leq 5$  Ryd were retained in the calculation. The Coulomb functions were then fitted to GTOs using the procedure outlined in Faure *et al* (2002).

The target and continuum orbitals must all be orthogonal to each other. To ensure the orthogonality, the target and continuum orbitals were first individually Schmidt orthogonalized and finally the full set of target and continuum orbitals were symmetric orthogonalized, retaining only those orbitals for which the eigenvalue of their overlap matrix was less than a deletion threshold, chosen here to be  $5 \times 10^{-5}$ . The deletion

**Table 2.** Comparison of the VEEs (in eV) from the ground  $X^3B_1$  state of  $CH_2$  to some of its low lying excited states.

$CH_2$ state	This work	CI <sup>a</sup>	Römel <sup>b</sup>	Yamaguchi <sup>c</sup>
$X^3B_1$	0.0 <sup>d</sup>	0.0 <sup>e</sup>	0.0 <sup>f</sup>	0.0
$1^1A_1$	1.16	0.995	1.14	
$1^1B_1$	1.74	1.86	1.63	
$2^1A_1$	3.24	3.31	3.38	
$3^1A_1$	6.21	7.67	6.37	
$3^1B_2$	7.35	8.05	7.59	7.86
$1^1B_2$	7.25	9.25	7.63	7.75
$3^1A_2$	7.63	7.47	7.57	7.23
$1^1A_2$	8.33	8.39	8.46	

<sup>a</sup>CI calculation done at  $CH_2$  equilibrium (C–H bond length  $2.0314 a_0$  and H–C–H bond angle  $133.8^\circ$ ) using  $(1a_1)^2(2a_1-6a_1, 1b_1-4b_1, 1b_2-4b_2)^6$  CAS-CI model.<sup>b</sup>Römel and Peyerimhoff (1981).<sup>c</sup>Yamaguchi and Shaeffer (1997).<sup>d</sup>Absolute energies of the ground state  $-38.985\,233$  Hartree.<sup>e</sup>Absolute energies of the ground state  $-38.966\,950$  Hartree.<sup>f</sup>Absolute energies of the ground state  $-39.060\,34$  Hartree.**Figure 1.** Eigenphase sums for the overall  $e+ CH_2^+$  symmetries  $1A_1$  and  $3B_1$ .

threshold depends on the  $R$ -matrix radius and was adjusted to ensure that there was no linear dependence.

An  $R$ -matrix was built at the boundary of the inner and outer region from the inner region solutions (equation (4)). The  $R$ -matrix were then propagated to an asymptotic distance  $R_{asy} = 70a_0$  in a potential which included the Coulomb potential and the dipole and quadrupole potentials of the target, where they were then matched to asymptotic functions obtained from a Gailitis expansion (Noble and Nesbet 1984). This matching procedure yields the  $K$ -matrix from which all scattering observables can be obtained. A different route, however, is followed for obtaining bound states, as is outlined below.

For bound states, the  $R$ -matrix and wave functions were propagated using Runge–Kutta–Nystrom method (Zhang *et al* 2011) to an asymptotic distance  $R_{asy} = 50a_0$  in a potential which included the Coulomb potential and the dipole and quadrupole potentials of target, and were matched to exponentially decreasing asymptotic functions (Noble and Nesbet 1984). A searching algorithm (Sarpal *et al* 1991) over a

**Table 3.** Resonance positions and widths (in Ryd) and effective quantum numbers at the CH<sub>2</sub><sup>+</sup> equilibrium for states of <sup>3</sup>B<sub>1</sub> and <sup>1</sup>A<sub>1</sub> symmetry of the e-CH<sub>2</sub><sup>+</sup> system below the first two CH<sub>2</sub><sup>+</sup> excited states. Numbers within brackets indicate power of 10.

Position	Width	$\nu$	Position	Width	$\nu$
<sup>3</sup> B <sub>1</sub> symmetry					
Below 1 <sup>2</sup> B <sub>1</sub> state			Below <sup>4</sup> A <sub>2</sub> state		
0.3558(-02)	0.2400(-04)	3.9466	0.1925	0.1075(-01)	2.2792
0.4870(-02)	0.5833(-04)	3.9875	0.2678	0.3334(-03)	2.9201
0.1567(-01)	0.4765(-04)	4.3815	0.2872	0.2789(-02)	3.1980
0.1718(-01)	0.6172(-04)	4.4465	0.3034	0.1910(-03)	3.5000
0.2685(-01)	0.1503(-04)	4.9440	0.3197	0.2426(-03)	3.9143
Position	Width	$\nu$	Position	Width	$\nu$
<sup>1</sup> A <sub>1</sub> symmetry					
Below 1 <sup>2</sup> B <sub>1</sub> state			Below 1 <sup>2</sup> A <sub>2</sub> state		
0.2034(-01)	0.2198(-03)	4.5925	0.3582	0.9116(-02)	2.5716
0.3582(-01)	0.1225(-03)	5.5953	0.3907	0.2355(-02)	2.9015
0.4478(-01)	0.7510(-04)	6.5969	0.4323	0.1280(-02)	3.6009
0.5043(-01)	0.4929(-04)	7.5979	0.4424	0.2339(-02)	3.8615
0.5423(-01)	0.3407(-04)	8.5985	0.4492	0.3074(-02)	4.0762

non-linear quantum defect based grid (Rabadán and Tennyson 1996) was then used to find the bound states as roots of a determinant  $\mathcal{B}(E)$  dependent on the energy. The details of the method are omitted and can be found in Sarpal *et al* (1991).

### 3. Results

All scattering calculations in this work were performed at a single geometry, namely the equilibrium geometry of the CH<sub>2</sub><sup>+</sup> target ion, for bound states of the CH<sub>2</sub> molecule, Feshbach resonances in the e + CH<sub>2</sub><sup>+</sup> system and cross sections for elastic scattering and electronic excitations. An 11 state scattering model including three <sup>2</sup>A<sub>1</sub>, three <sup>2</sup>B<sub>1</sub>, three <sup>2</sup>B<sub>1</sub> and two <sup>2</sup>A<sub>2</sub> target states in the close coupling expansion equation (4) were used for the singlet e + CH<sub>2</sub><sup>+</sup> scattering close-coupling expansion, while a 15 state model which included the same 11 doublet states as in the singlet state model, together with the lowest each of the <sup>4</sup>A<sub>1</sub>, <sup>4</sup>B<sub>1</sub>, <sup>4</sup>B<sub>2</sub>, and <sup>4</sup>A<sub>2</sub> states was used in equation (4) for triplet symmetry close-coupling expansion. As will be shown below, this procedure provides a reliable scattering model which was tested by calculating the bound states of CH<sub>2</sub>.

#### 3.1. Bound states

Table 2 shows the VEEs for the bound states of CH<sub>2</sub> from its X <sup>3</sup>B<sub>1</sub> ground state to few of its low lying excited states. For a comparison, we also did a quantum chemistry-style CI calculation on CH<sub>2</sub> at its equilibrium geometry (C–H bond length 2.0314 a<sub>0</sub> and H–C–H bond angle 133.8°) using a (1a<sub>1</sub>)<sup>2</sup> (2–6a<sub>1</sub>, 1–4b<sub>1</sub>, 1–4b<sub>2</sub>)<sup>6</sup> CAS-CI model. The VEEs are then compared with the multi reference double excitation calculation of Römelt and Peyerimhoff (1981) and the coupled cluster results of Yamaguchi and Shaeffer (1997). From table 2, it is clear that the VEEs obtained by the

R-matrix method are in very good agreement with all others. The fact that the calculated bound state energies are consistent and accurate enough indicates that our scattering model is reasonably good.

#### 3.2. Resonances at equilibrium

For resonance calculation, the R-matrix was propagated to 70 a<sub>0</sub>. Resonances were detected by the characteristic change in sign of the second derivative of the eigenphase sum  $\delta(E)$  given by

$$\delta(E) = \sum_i \arctan(K_{ii}), \quad (5)$$

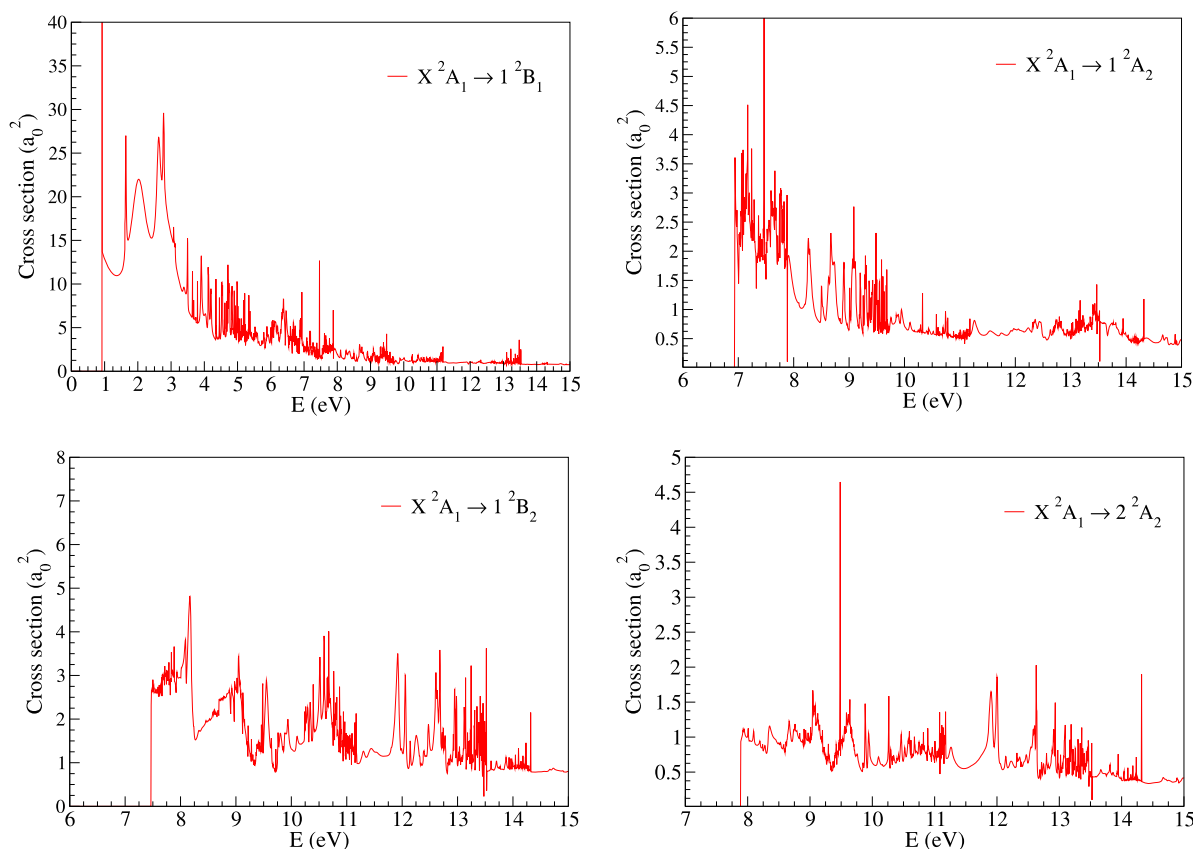
where  $K_{ii}$  are the elements of the diagonalised  $K$  matrix. They were then fitted to a Breit–Wigner profile (Tennyson and Noble 1984) with an energy grid 0.005 eV to obtain the resonance energy  $E$  and width  $\Gamma$ .

Figure 1 shows the plot of two typical eigenphase sums for <sup>1</sup>A<sub>1</sub> and <sup>3</sup>B<sub>1</sub> symmetries. Characteristic of electron collision with ions, the figure shows numerous resonances some of which are tabulated in table 3 according to their parent state. As seen from the table, many of the resonances appear to be in Rydberg series which can be identified by their effective quantum numbers. The relatively small gap between the ground and first excited electronic state means that the resonances start with relatively high effective quantum numbers,  $\nu \approx 4$ , and then closely space.

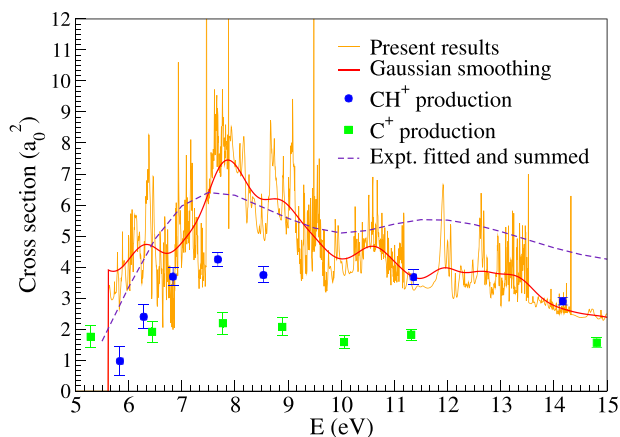
A full set of fits to the resonances covering all overall scattering symmetries is given in the supplementary material (<https://stacks.iop.org/JPB/55/095201/mmedia>).

#### 3.3. Electron impact excitation

Our calculated cross sections for electron impact excitation of CH<sub>2</sub><sup>+</sup> from the ground state to four of its lowest doublet states are shown in figure 2. As in the elastic cross section,



**Figure 2.** Cross sections for electronic excitation from the  $X^2A_1$  ground state to the first four excited states of doublet symmetry as given in table 1 and indicated in each panel.



**Figure 3.** Cross section for the electron impact dissociation of the  $CH_2^+$  ion. Thin curve: present  $R$ -matrix results (see text). Thick (red) curve: present result after smoothing with a Gaussian function. Green circles with error bars: experimental results for  $C^+$  ion production Vane *et al* (2007). Blue circles with error bars: experimental results for  $CH^+$  ion production Vane *et al* (2007). Dashed curve: experimental results for  $C^+$  and  $CH^+$  ion production summed after suitable fitting (see text).

the excitation cross sections show highly resonant behaviour due to temporary captures into resonant states. Particularly, the  $X^2A_1 \rightarrow 1^2B_1$  excitation cross section shows evidence of a large resonance near threshold. Referring to figure 1, this is

likely due to the large  $^3B_1$  resonance near 1 eV as seen from the plot of the  $^3B_1$  eigenphase sum. Generally, the excitation cross sections decrease with increasing incident energy and the cross sections from the higher lying excited states are much smaller.

Our calculations only consider partial waves with  $l \leq 4$ . For dipole allowed electronic excitation processes it is known that higher  $l$  partial waves contribute to the electronic excitation and for electron collisions with neutral targets allowance for this is often made using the Born approximation; a standard procedure exists for this within the UKRMol codes (Kaur *et al* 2008). Considering the low-lying states of  $CH_2^+$  excitation the two low-lying  $^2A_2$  states are dipole forbidden but the  $1^2B_1$  and  $1^2B_2$  are both connected to the ground state by dipoles in the region of 1 a.u.. Test calculations showed that allowing for this approximately led to a small increase in the  $1^2B_2$  cross section but a very large increase in the predicted electronic excitation cross section for the  $1^2B_1$ . However, the  $1^2B_1$  state has a very low excitation threshold meaning it will be excited by slow-moving electrons and that under these circumstances it is necessary to consider the rotational motion of the target which will lead a reduction in effect of the long-range dipole. Treatment of this will require further developments and is left to future work. However, neglect of the partial waves with  $l > 4$  means that our predicted  $1^2B_1$  and  $1^2B_2$  cross sections, and the dissociation cross sections given below, are probably too low.

### 3.4. Electron impact dissociation

Experimental cross sections for electron impact dissociation were obtained by Vane *et al* (2007) for the production of  $\text{CH}^+$  and  $\text{C}^+$  fragments. Although model calculations exist for the electron impact dissociation of  $\text{CH}_2^+$  ions (see for example Reiter and Janev (2010)), to the best of our knowledge, the 2007 experiments have never been described by any *ab initio* calculation.

The dissociation of  $\text{CH}_2^+$  into the lowest dissociation channels, namely  $e + \text{CH}^+ + \text{H}$  and  $e + \text{C}^+ + \text{H}_2$ , proceed via direct dissociative excitation and have thresholds 6.08 eV and 5.62 eV respectively (Vane *et al* 2007). In deriving the dissociation cross section, we assumed that electronic excitations to all states above the respective dissociation thresholds lead to dissociation. In our calculation, we have included the states  $1^2B_1$ ,  $1^2B_2$ ,  $1^2A_2$ , and the  $2^2A_2$  excited states all of which lie close to one another at the  $\text{CH}_2^+$  equilibrium. Moreover, except the  $1^2B_1$  state, which has both valence and Rydberg character, all the other three are of valence character at equilibrium (see for example (Theodorakopoulos and Petsalakis 1991)) and hence are likely to dissociate to the  $e + \text{C}^+ + \text{H}_2$  (5.62 eV) or the  $e + \text{CH}^+ + \text{H}$  (6.08 eV) dissociation limits, which are the most relevant in the energy range considered. Since the dissociation channels cannot be separated in our calculations, our cross section in figure 3 represents a sum over these channels. For better comparison, we have also shown our cross sections after smoothing by using a Gaussian function. The experimental data from Vane *et al* (2007) are available for each of the dissociation channels mentioned above. The energy grid of the experimental cross sections for these two dissociation channels, however, are neither the same nor uniform. Therefore, to sum the experimental data, we first spline interpolated each set over the same and uniform energy grid. This allowed us to sum the cross section for the experimental data. In figure 3, this sum is shown as the dashed line and it agrees fairly well with our computed cross section. In particular, the peak near 8 eV agrees quite well with the spline interpolated summed experimental curve. However, we note that since the experimental data is non uniformly spaced, the interpolated curve may not always reflect the actual trend. For example, we suspect the agreement of the interpolated curve with our calculation would have been much better between 11 eV–15 eV had there been more experimental points available in this region. Similarly, below 6 eV, the interpolated experimental curve appears to diverge for our Gaussian fitted curve. This is a result of the fitting procedure, the interpolated experimental curve actually follows the trend of our raw cross section curve.

## 4. Conclusion

As mentioned in the introduction,  $\text{CH}_2^+$  is a very important constituent in low temperature plasma environments. However, despite its importance, electron collisions studies on  $\text{CH}_2^+$  have been rare. In fact, we could not find any *ab initio* calculation for the cross sections included in the present work. The only cross section result available, seems to be the

total ionisation cross section of  $\text{CH}_2^+$  calculated within the binary-encounter-Bethe model by Irikura *et al* (2002).

In this work, we have presented a reliable set of cross sections for the electronic excitation, and electron impact dissociation of the  $\text{CH}_2^+$  ion. In fact, none of these cross sections have ever been reported before by any *ab initio* calculation. Additionally, we have also calculated and have given the position and width for some of the Feshbach resonances in the  $e\text{-CH}_2^+$  system. These Feshbach resonances, as is well known, are the routes to DR of the  $\text{CH}_2^+$  ion. However, its treatment requires a more comprehensive calculation of the resonance energies, widths and the PES of the  $\text{CH}_2^+$  and  $\text{CH}_2$  states. This is the subject of an ongoing project.

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